

Congruence of triangles

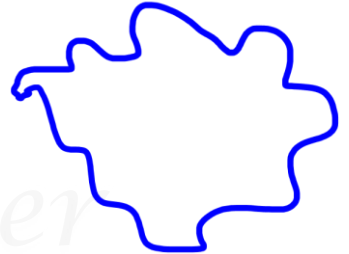
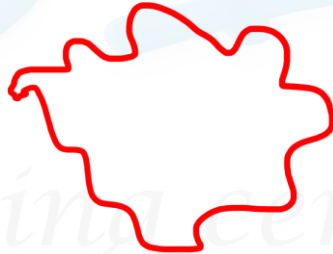
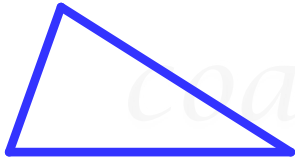
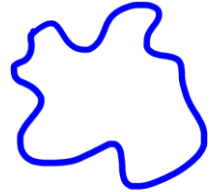
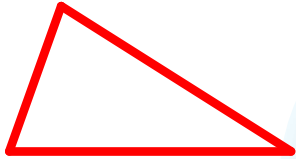
(त्रिभुजों की सर्वांगसमता)

सर्व अंग समता
साथ

All parts equality

coaching center

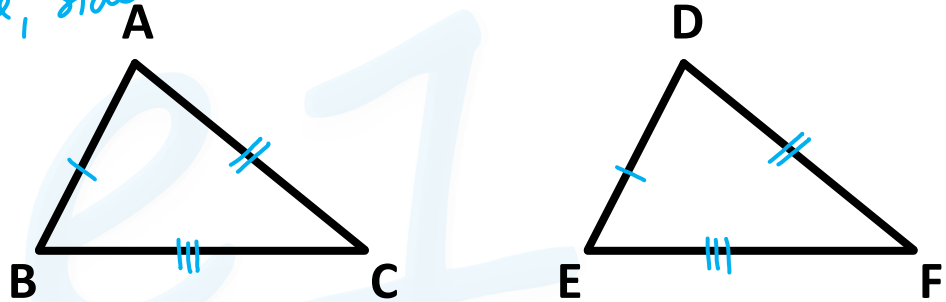
Congruence (सर्वांगसमता) :



SSS Rule:

Side, side, Side

3=3



$$\triangle ABC \cong \triangle DEF \checkmark$$

$$\triangle \underline{ABC} \cong \triangle \underline{FED} \times$$

SAS Rule:

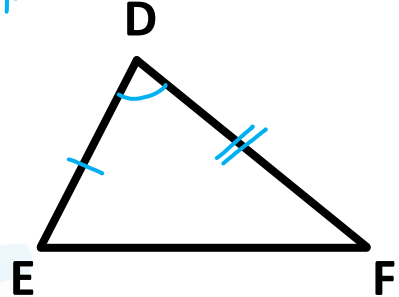
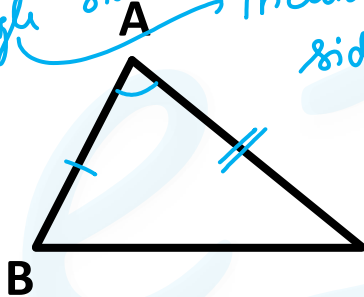
Side

Angle

Side

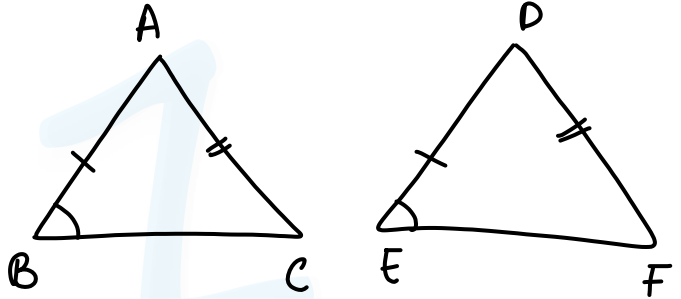
Included b/w equal sides

SSA, ASS
X X



$$\triangle ABC \cong \triangle DEF$$

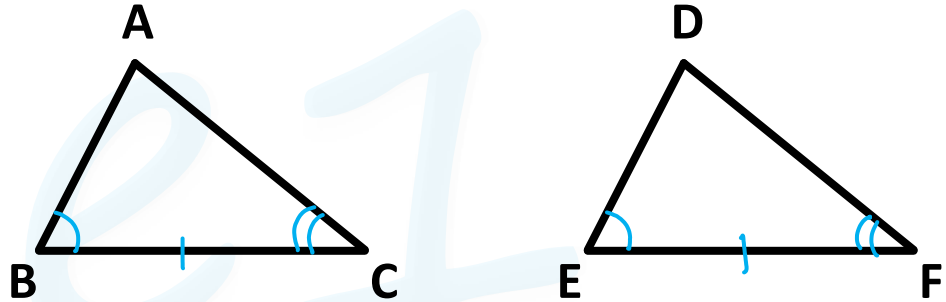
coaching center



$\triangle ABC \cong \triangle DEF$ [Can't Say]

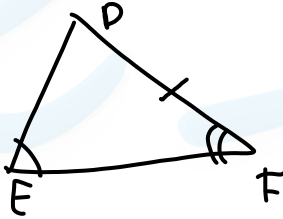
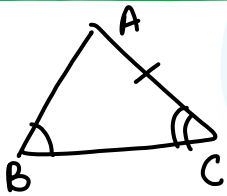
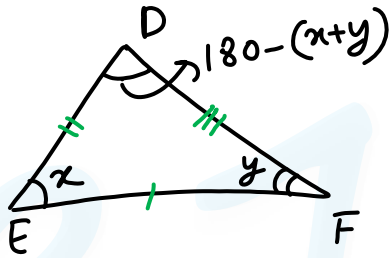
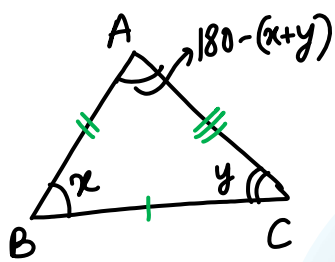
coaching center

ASA / AAS / SAA Rule:



$$\triangle ABC \cong \triangle DEF$$

coaching center



$$\triangle ABC \cong \triangle DEF$$

- ① SSS
- ② SAS
- ③ ASA, SAA, AAS
- ④ RHS

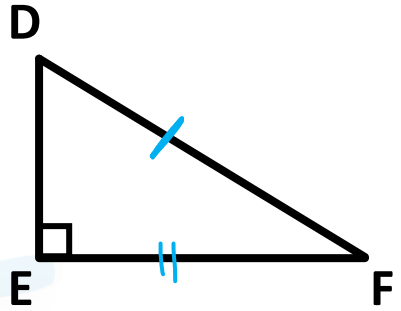
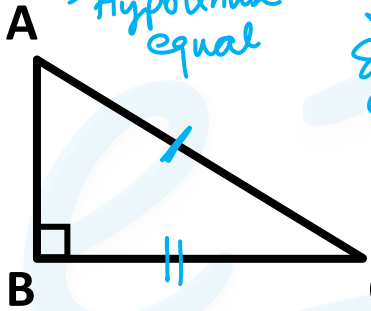
RHS Rule:

Right angle

Hypotenuse equal

Side equal

✓
RHS
✓



$$\triangle ABC \cong \triangle DEF$$

coaching center

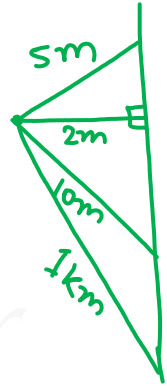
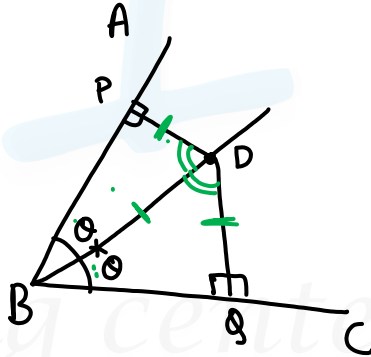
Let's prove something:

1. Any point on the angle bisector of an angle is equidistant from the arms of the angle.

कोण समद्विभाजक पर स्थित कोई भी बिंदु कोण की दोनों भुजाओं से समान दूरी पर होता है.

ASA

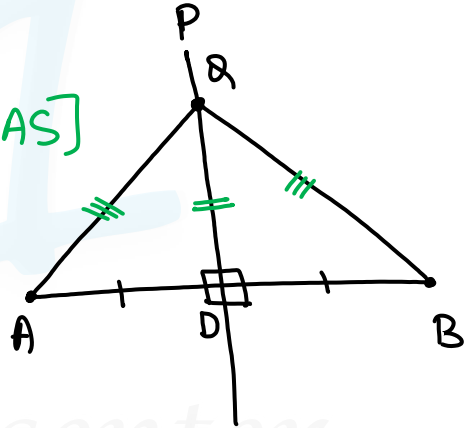
$$\triangle BPD \cong \triangle BQD$$



2. Any point on the perpendicular bisector of a line segment is equidistant from the ends of the line segment.

किसी रेखाखंड के लम्ब समद्विभाजक पर स्थित कोई भी बिंदु रेखाखंड के दोनों सिरों से बराबर दूरी पर होगा.

$$\triangle ADP \cong \triangle BDQ \text{ [SAS]}$$



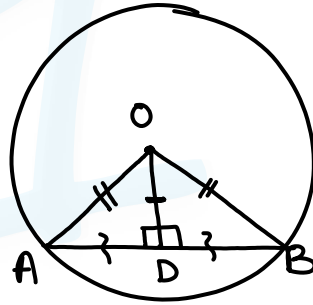
coaching center

3. Perpendicular drawn on a chord from the center of the circle bisects the chord.

वृत्त के केंद्र से जीवा पर खींचा गया लम्ब जीवा को समद्विभाजित करता है।

RHS

$$\triangle OAD \cong \triangle OBD$$

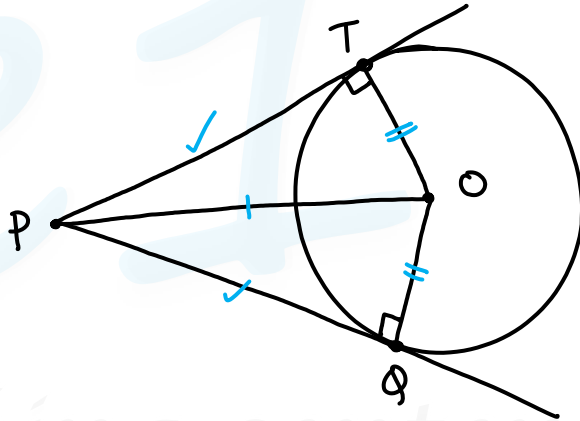


coaching center

4. Tangents drawn from an exterior point to a circle are equal in length.

वृत्त के बाहर स्थित बिंदु से खींची गयी स्पर्श रेखाएं समान लम्बाई की होती हैं।

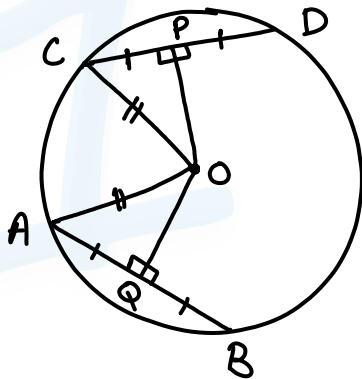
RHS ✓



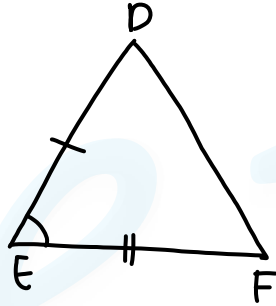
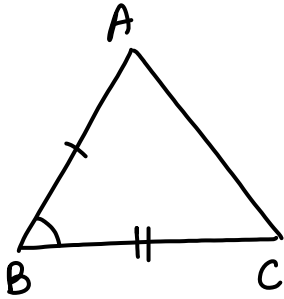
5. Equal chords in a circle are equidistant from the center of the circle.

किसी वृत्त में समान लम्बाई की जीवाएं, केंद्र से समान दूरी पर होती हैं.

RHS



coaching center

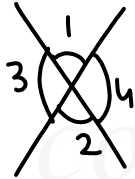
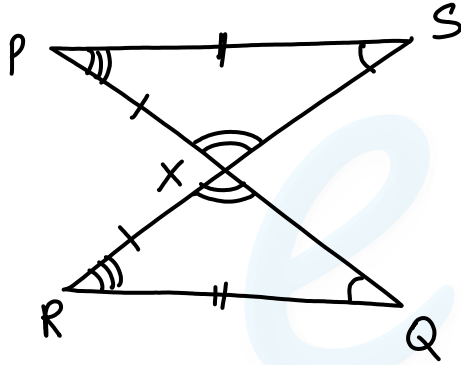


1. In $\triangle ABC$ and $\triangle DEF$, $AB=DE$ and $BC=EF$, then one can say that $\triangle ABC$ is congruent to $\triangle DEF$ if

त्रिभुज $\triangle ABC$ और $\triangle DEF$ में अगर $AB=DE$ और $BC=EF$ है तो $\triangle ABC$, $\triangle DEF$ के सर्वांगसम होगा अगर:

- a) $\angle BAC = \angle EDF$
- b) $\angle ACB = \angle EDF$
- c) $\angle ACB = \angle DEF$
- ~~d) $\angle ABC = \angle DEF$~~

coaching center



VOA

2. Two line segments, PQ and RS intersect at X in such a way that $XP=XR$. If $\angle PSX = \angle RQX$, then one must have

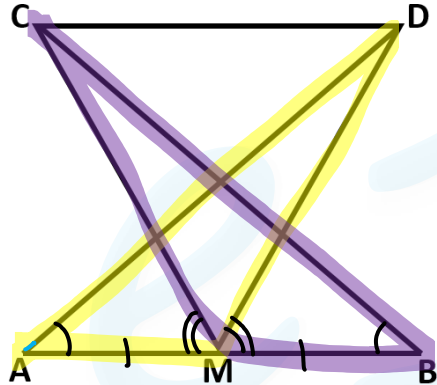
दो रेखाएं PQ और RS किसी बिंदु X पर इस प्रकार प्रतिच्छेद करती हैं कि $XP=XR$ है। अगर $\angle PSX = \angle RQX$ है तो :

a) $PR = QS$

~~b) $PS = RQ$~~

c) $\angle XSQ = \angle XRP$

d) $ar(\triangle PXR) = ar(\triangle QXS)$



3. In the figure given below, M is the mid-point of AB and $\angle DAB = \angle CBA$ and $\angle AMC = \angle BMD$. Then the triangle ADM is congruent to the triangle BCM by

निम्न दी गई आकृति में, M भुजा AB का मध्य बिंदु है और $\angle DAB = \angle CBA$ और $\angle AMC = \angle BMD$ है। तो त्रिभुज ADM और त्रिभुज BCM किस नियम के अंतर्गत सर्वांगसम होंगे?

- a) SAS rule
- b) SSS rule
- c) ASA rule
- d) AAA rule

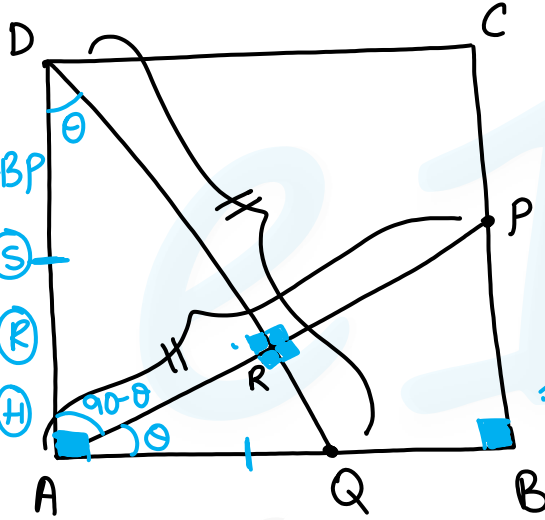
coaching center

$\triangle DQR, \triangle ABP$

$DA = AB$ (S)

$\angle A = \angle B$ (R)

$DQ = AP$ (H)



4. ABCD is a square. A is joined to a point P on BC and D is joined to a point Q on AB. If $AP = DQ$ and AP intersects DQ at R, then $\angle DRP$ is:

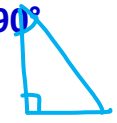
ABCD एक वर्ग है। A, BC पर एक बिन्दु P से जुड़ा हुआ है और D, AB पर बिन्दु Q से जोड़ा हुआ है, यदि AP और DQ, R पर प्रतिच्छेद करता है और $AP = DQ$ है तो $\angle DRP = ?$

a) 60°

b) 120°

c) 90°

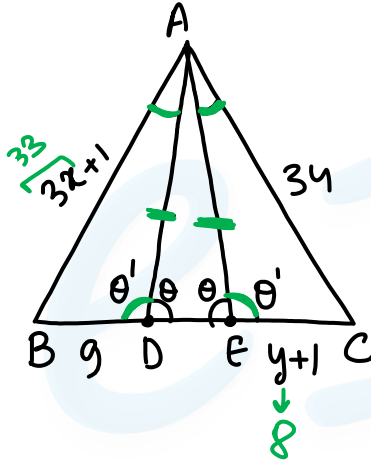
d) Can't be determined



coaching center

ASA

$$x=11$$



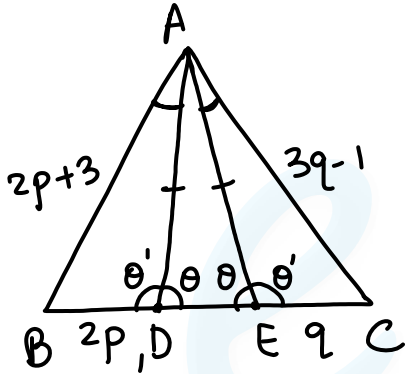
5. Let D and E be two points on the side BC of $\triangle ABC$ such that $AD = AE$ and $\angle BAD = \angle EAC$. If $AB = (3x + 1)$ cm, $BD = 9$ cm, $AC = 34$ cm and $EC = (y + 1)$ cm, then the value of $(x + y)$ is:

माना की $\triangle ABC$ की भुजा BC पर बिन्दु D और E इस प्रकार है की $AD = AE$ और $\angle BAD = \angle EAC$ है। यदि $AB = (3x + 1)$ cm, $BD = 9$ cm, $AC = 34$ cm और $EC = (y + 1)$ cm है, तो $(x + y)$ का मान ज्ञात कीजिए।

- a) 19
- c) 20

- b) 16
- d) 17

coaching center



ASA ✓

$$2p+3 = 3q-1$$

$$2p+3 = 6p-1$$

$$2p = 3q$$

$$4 = 4p$$

$$1 = p$$

$$2 = q$$

6. In a triangle ABC , D and E are points on BC such that $AD = AE$ and $\angle BAD = \angle CAE$. If $AB = (2p + 3)$, $BD = 2p$, $AC = (3q - 1)$ and $CE = q$, then find the value of $(p + q)$.

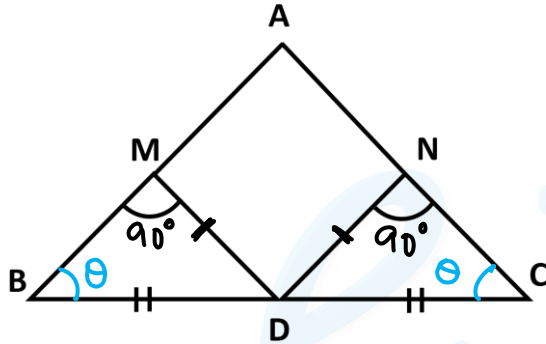
एक त्रिभुज ABC में D और E , BC पर ऐसे बिंदु हैं कि $AD = AE$ और $\angle BAD = \angle CAE$ हैं। यदि $AB = (2p + 3)$, $BD = 2p$, $AC = (3q - 1)$ और $CE = q$ है, तो $(p + q)$ का मान ज्ञात कीजिए।

a) 3

b) 4.5

c) 3.6

d) 2



$$\triangle BDM \cong \triangle CDN$$

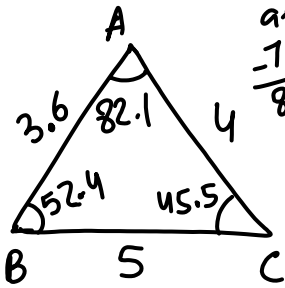
RHS

7. In the adjoining figure D is the midpoint of BC of a $\triangle ABC$. DM and DN are the perpendiculars on AB and AC respectively and $DM = DN$, then the $\triangle ABC$ is:

- a) Right angled
- b) Isosceles
- c) Equilateral
- d) Scalene

D त्रिभुज $\triangle ABC$ की भुजा BC का मध्य बिंदु है। DM और DN क्रमशः भुजाओं AB और AC पर लम्ब हैं। अगर $DM = DN$ है तो $\triangle ABC$ होगा:

- a) समकोण
- b) समदोभुजी
- c) समभुजी
- d) विषमभुजी



8. Given below are some of the measures of the sides and angles of five triangles. Which of the triangles given in the options is **NOT** congruent to $\triangle ABC$?

पाँच त्रिभुजों की भुजाओं और कोणों की कुछ मापें नीचे दी गई हैं। दिए गए विकल्पों में से कौन सा त्रिभुज $\triangle ABC$ के सर्वांगसम नहीं है?

In $\triangle ABC$, $m(\overline{AB}) = 3.6\text{cm}$, $m(\overline{BC}) = 5\text{cm}$, $m(\overline{CA}) = 4\text{cm}$,
 $m(\angle B) = 52.4^\circ$, $m(\angle C) = 45.5^\circ$

In $\triangle DEF$, $m(\overline{DE}) = 4\text{cm}$, $m(\overline{EF}) = 5\text{cm}$, $m(\overline{FD}) = 3.6\text{cm}$

In $\triangle GHI$, $m(\overline{HI}) = 5\text{cm}$, $m(\angle H) = 52.4^\circ$, $m(\angle I) = 45.5^\circ$

In $\triangle JKL$, $m(\overline{JK}) = 3.6\text{cm}$, $m(\overline{LJ}) = 4\text{cm}$, $m(\angle J) = 52.4^\circ$

In $\triangle MNO$, $m(\overline{MN}) = 3.6\text{cm}$, $m(\overline{NO}) = 5\text{cm}$, $m(\angle N) = 52.4^\circ$

- a) $\triangle DEF$ b) $\triangle MNO$ c) $\triangle GHI$ d) $\triangle JKL$

